Experimental Techniques of Optics

Spring 2017

PHYC 476,477, 302L

University of New Mexico

http://www.optics.unm.edu/sbahae/Optics Lab/

Pre-requisites:

302L: PHYC 302 or 330 or 262 or 160

476L/477L: PHYC 302 or PHYC/ECE 463 or 464

Please drop the course if you have not passed at least one of the pre-requisite courses.

Instructor: Mansoor Sheik-Bahae

Teaching Assistants:

Junwei Meng (Tiger), Chih-Feng Wang and

Mohammad Ghasemkhani (sometimes!)

Lab Coordinator: Dr. Michael Hasselbeck



Grading Policy

 Attendance, Interaction with TAs and Instructors during the lab sessions (Please notify me and your lab partner in advance by email if you have to skip a session; state your valid reason)

Lab Notebook

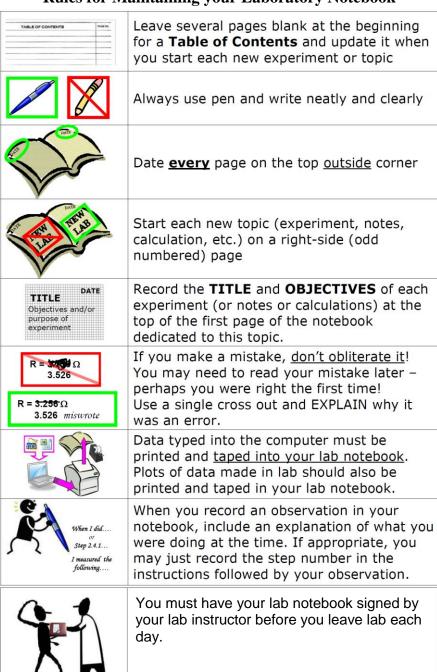
- Lab Reports
- Oral Exam (random)



Lab Notebook



Rules for Maintaining your Laboratory Notebook



Experiments

- Basic Optics Experiments (302L only)
- The Wavemeter
- Velocity Measurements by Optical Techniques
- Ray Tracing and Lens Aberrations
- Polarization Study
- He-Ne Laser

- Fiber Optics
- Fourier Optics
- Diode-Pumped Solid-State (DPSS)
 Laser
- Modelocking a CW He-Ne Laser
- Nonlinear Optics (NEW)
- Ti:sapphire laser (NEW; being developed)



Student Teams

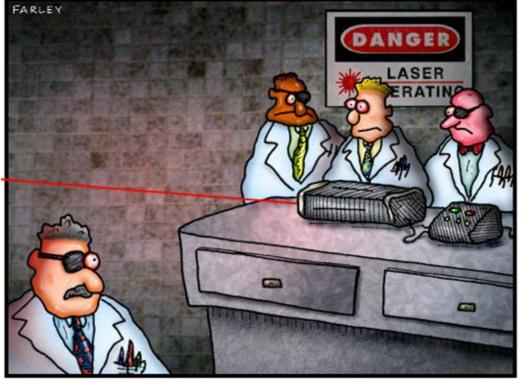
 You may team up with one of your fellow students to perform the experiments.

 Each member should keep her/his own "independent" lab notebook.

 One lab-report is needed for each experiment from each team.



Lab Safety First





University of New Mexico

Peer pressure in the laser lab

All students enrolled are *required* to read the <u>OSHA manual</u> carefully. You will be asked to sign an "agreement of understanding" form on the first session of this course.

Error Analysis

(how many significant figures?)

Is c=299 792 458 m/s exact?

- A measurement is not meaningful without an error estimate (uncertainty)
- No measurement is ever exact
- "Error" does NOT mean "blunder" or "mistake" (the latters can be corrected for)

"It is better to be roughly right than precisely wrong!"

Alan Greenspan Former U.S. Federal Reserve Chairman



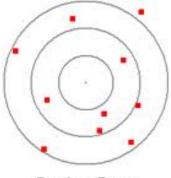




Types of Error

Statistical (Random) Errors:

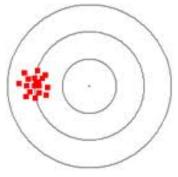
Results from a random fluctuation in the process of measurement. Often quantifiable in terms of "number of measurements or trials". Tends to make measurements less *precise*.



Random Error

Systematic Errors (Blunders?):

Results from a bias in the observation due to observing conditions or apparatus or technique or analysis. Tend to make measurements less *accurate*.



Systematic Error

Instrument Limitation Error:

Any measuring device can be used to within a degree of finesse.



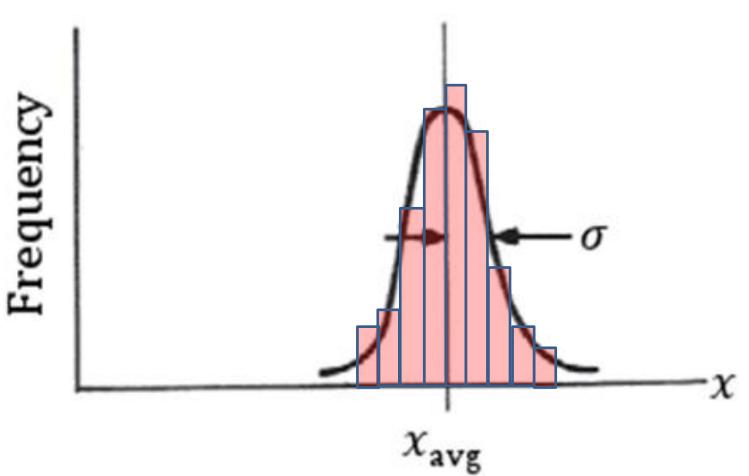
12.65±0.005



1 2 3 4 5 6 7 8 9 10 11 12

half of "least count"

Measurement Histogram





Measurement Uncertainty

$$x_m = x_{ave} \pm \Delta x_{ave}$$

Mean (x_{avg})	The average of all values of x (the "best" value of x). This is the same as for small data sets.	$x_{\text{avg}} = \frac{\sum_{i=1}^{N} x_i}{N}$
Uncertainty in a measurement (△x)	Uncertainty in a single measurement of x . The vast majority of your data lies in the range $x_{\mathrm{avg}} \pm \sigma$	$\Delta x = \sigma = \sqrt{\frac{\sum_{i=1}^{N} (x_i - x_{\text{avg}})^2}{N}}$
Uncertainty in the Mean (∆x _{avg})	Uncertainty in the mean value of x . The actual value of x will be somewhere in a neighborhood around $x_{\rm avg}$. This neighborhood of values is the uncertainty in the mean.	$\Delta x_{\rm avg} = \frac{\sigma}{\sqrt{N}}$
Measured Value	The final reported value of a measurement of \boldsymbol{x} contains both the average value and the uncertainty in the mean.	$x_{ m m} = x_{ m avg} \pm \Delta x_{ m avg}$



Error Propagation

- If the parameter of interest f = F(x, y, z, ...) depends on multiple measured parameters x, y, z,
- The error in f, σ_f , depends on the function F, measured parameters x, y, z, ..., and their errors, σ_x , σ_v , σ_z , ...:

$$\sigma_f = \sqrt{\left(\frac{\partial F}{\partial x}\right)^2 \sigma_x^2 + \left(\frac{\partial F}{\partial y}\right)^2 \sigma_y^2 + \left(\frac{\partial F}{\partial z}\right)^2 \sigma_z^2 + \dots}$$

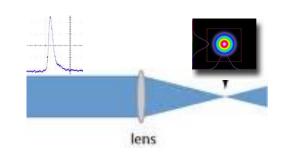
Errors from independent (un-correlated) parameters add in quadrature.



An Example:

Determine peak on-axis intensity of a pulsed laser beam:

$$I(W/cm^{2}) = \frac{E(joules)}{t_{p}(sec)A(cm^{2})} = K\frac{E}{t_{p}w^{2}}$$



K is a constant

$$I(measured) = I_{ave} \pm \Delta I$$

with
$$I_{ave} = K \frac{E_{ave}}{t_{p_{ave}} w_{ave}^2}$$

and

$$\Delta I = K \sqrt{\left(\frac{1}{t_p w^2}\right)_{ave}^2 \left(\Delta E\right)^2 + \left(\frac{E}{t_p^2 w^2}\right)_{ave}^2 \left(\Delta t_p\right)^2 + \left(\frac{2E}{t_p^2 w^3}\right)_{ave}^2 \left(\Delta w\right)^2} \quad \text{or} \qquad \qquad \frac{\Delta I}{I} = \sqrt{\left(\frac{\Delta E}{E}\right)^2 + \left(\frac{\Delta t_p}{t_p}\right)^2 + \left(\frac{\Delta w}{w}\right)^2}$$

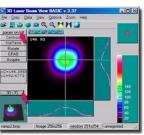
energy meter



(calibration?)

beam profiler





fast photo-diode and scope



input impendence?

For instance:

$$E=(5.2\pm0.05) \, mJ$$

$$\frac{\Delta I}{I} \approx 0.1$$

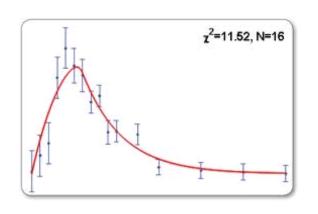
$$w = (120 \pm 2) \mu m$$

$$I(measured)=2.1\pm0.2~GW/cm^2$$





Data Fitting (comparing with theory)



"least squares" analysis

$$\chi^2 = \Sigma \frac{1}{\sigma_i^2} [y_i - f\left(x_i\right)]^2$$
 weighted Minimize χ^2

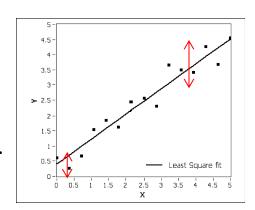
For linear fit (or power laws in log-log plots):

$$\chi^{2} = \sum \frac{1}{\sigma_{i}^{2}} [y_{i} - f(x_{i})]^{2} = \sum \frac{1}{\sigma_{i}^{2}} [y_{i} - (mx_{i} + b)]^{2}$$

Graphics or data analysis softwares (Origin, Excel, ..) do this for you.

$$\frac{\partial \chi^2}{\partial m} = 0$$

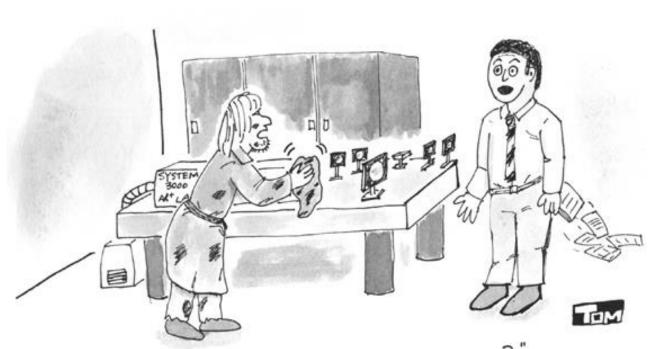
$$\frac{\partial x^2}{\partial b} = 0$$





Keep the lab and the equipment clean & organized

Absolutely no finger prints on optics please!!



"SPARE CHANGE, PROFESSOR?"

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